

Some warm and some hot in MOND phenomenology

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The basic premises of the MOND paradigm

Modified dynamics at low accelerations as an alternative to Newtonian Dynamic
(with DM)

- The appearance of a new acceleration constant in dynamics, a_0
- Standard limit : $a_0 \rightarrow 0$
- MOND limit, $a_0 \rightarrow \infty$: $a_0, G \rightarrow a_0 G$ for pure gravity

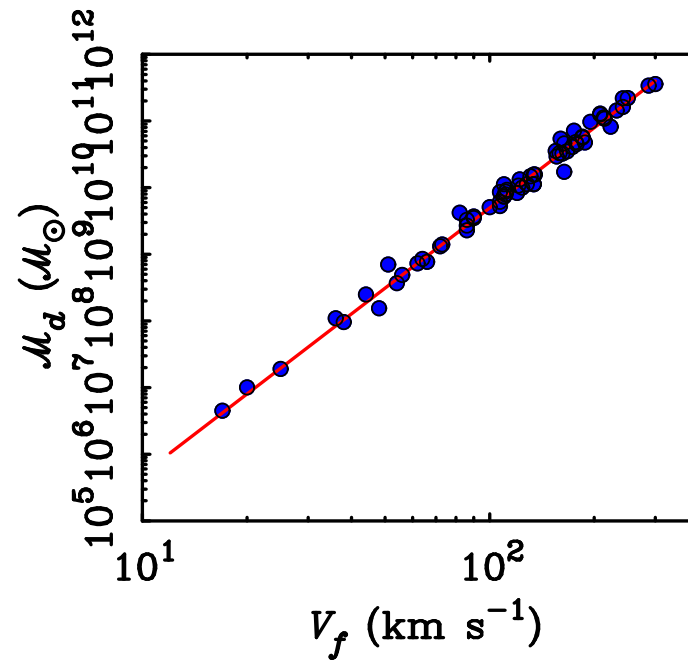
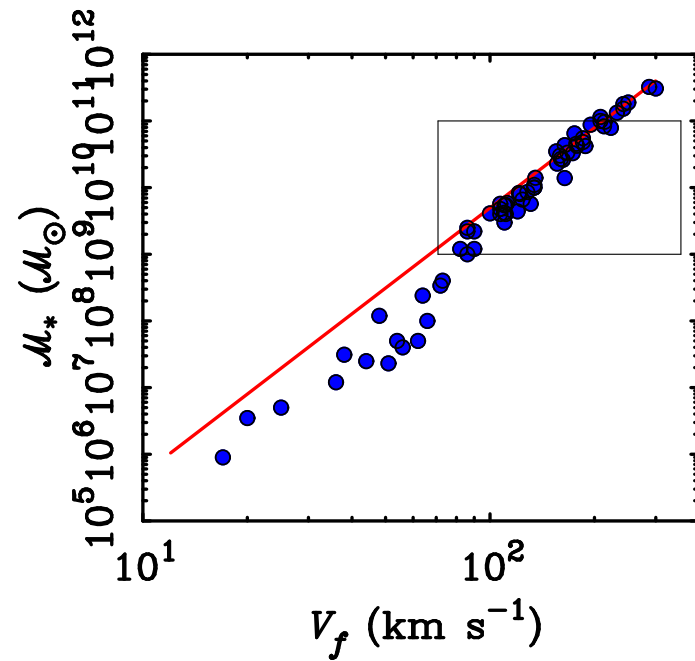
Various theories: modify the Poisson equation; modify Newton's second law;
modify GR

Independent Kepler-like laws of galactic dynamics

- Asymptotic constancy of orbital velocity: $V(r) \rightarrow V_\infty$
- The mass-velocity relation (baryonic TF relation): $V_\infty^4 = M G a_0$
- $\sigma^4 \sim M G a_0$ relation (“isothermal” spheres, deep MOND virial relation)
- Discrepancy appears always at $V^2/R = a_0$
- Isothermal spheres have surface densities $\bar{\Sigma} \leq a_0/G$
- The thin-lens approximation is not valid
- Disc galaxies have a disc AND a spherical “DM” components

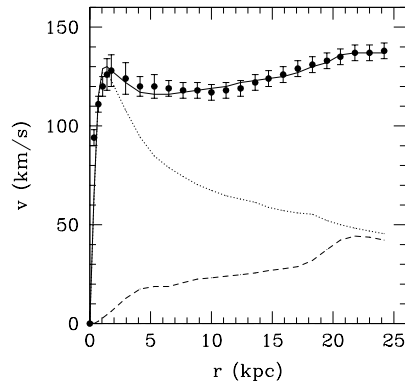
- Added stability of discs with $\bar{\Sigma} \leq a_0/G$
- The external-field effect
- Special role of the transition radius: $r_t \equiv (MG/a_0)^{1/2}$
- Excess acceleration always $\lesssim a_0$
- Negative density of “dark matter” in some locations.

The mass-velocity (baryonic Tully-Fisher) relation

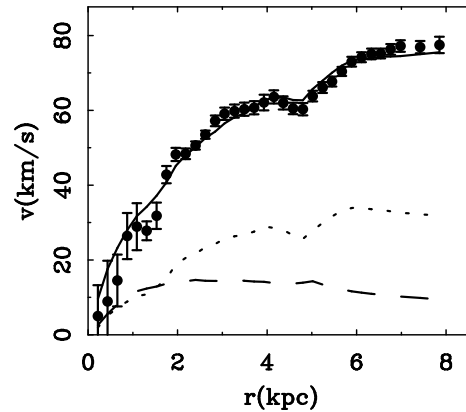


from McGaugh 2006

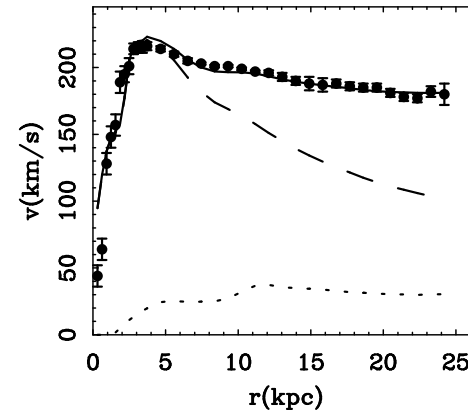
Rotation Curves of Disc Galaxies



Sanders (2005)

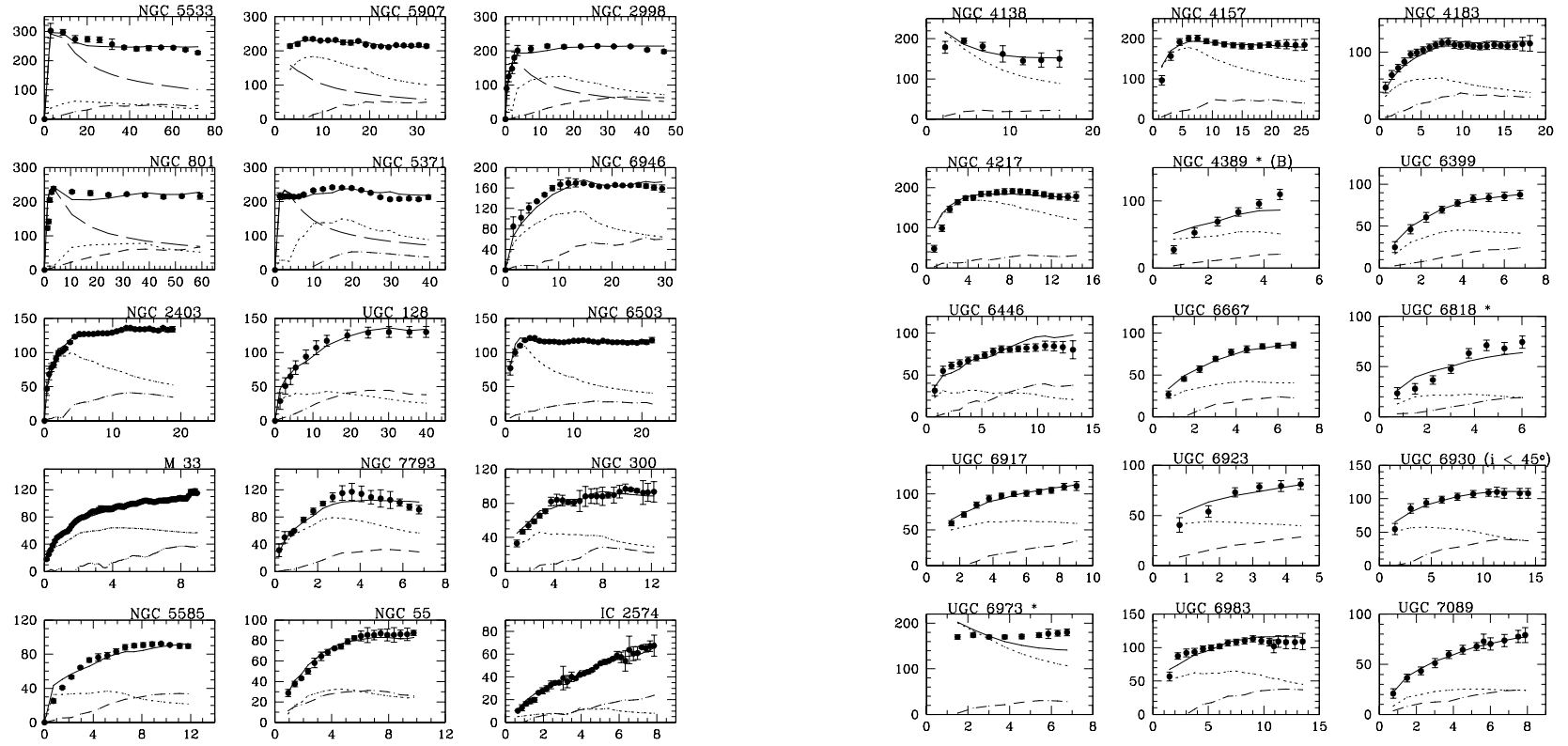


Sanders and McGaugh (2002)



Rather robust to change in theory

For modified inertia $a\mu(a/a_0) = \phi'(R)$, with $a = V^2/R$ and $\mu(x)$ universal



Sanders and McGaugh 2002

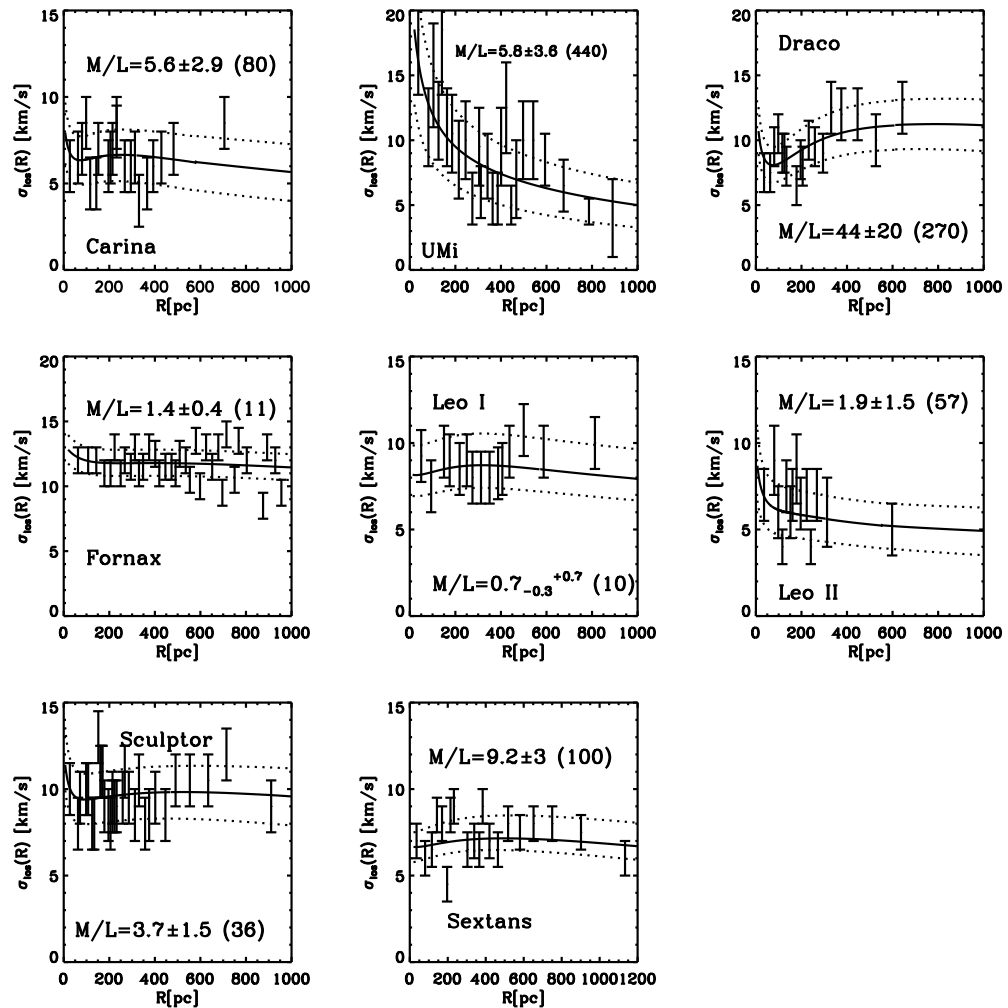
$$a_0 = ?$$

a_0 can be derived in several independent ways:

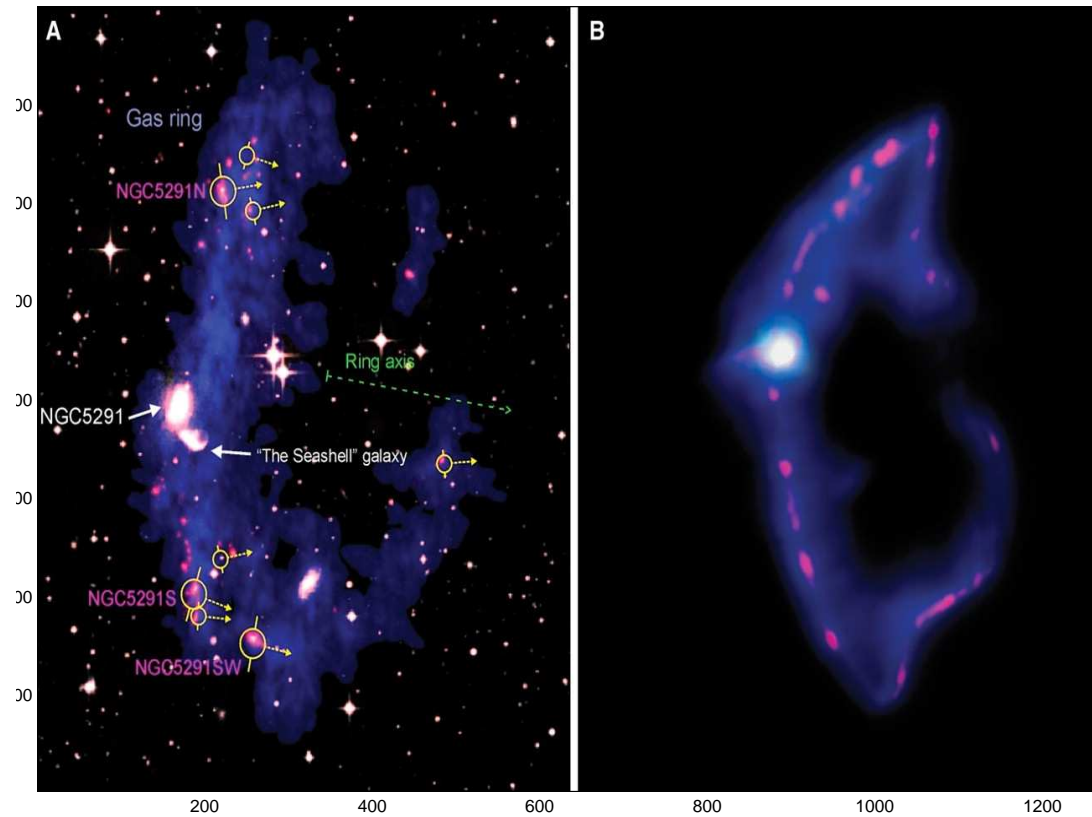
$$a_0 \approx 1.2 \times 10^{-8} \text{ cm s}^{-2}$$

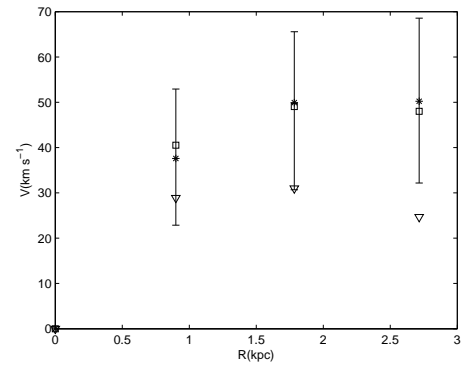
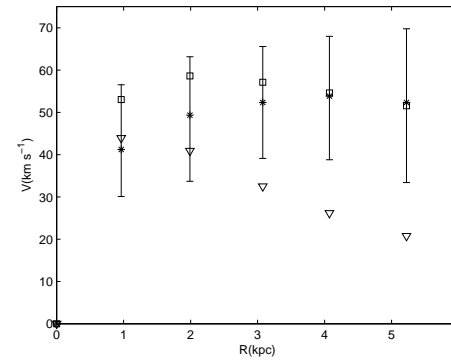
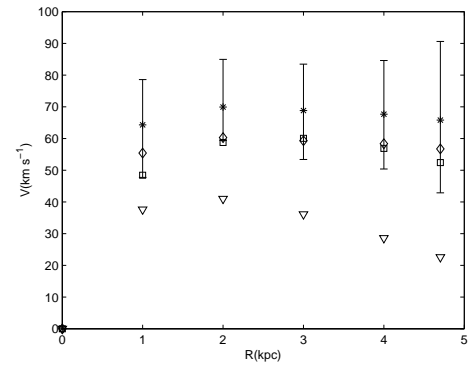
- $2\pi a_0 \approx cH_0$
- $2\pi a_0 \approx c(\Lambda/3)^{1/2}$

Dwarf spheroidalals (Angus 2008)



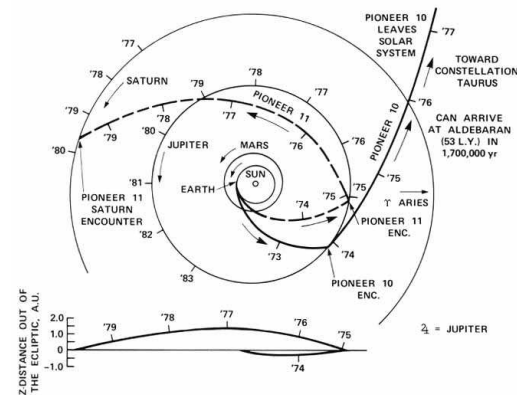
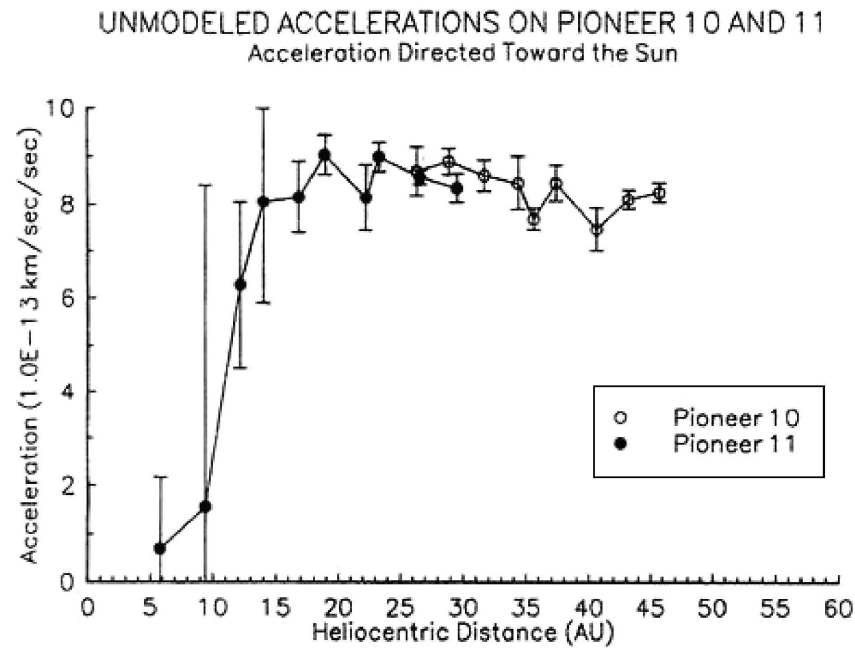
Debris dwarf galaxies





Data and Newtonian analysis from Bourneau et al (2007) MOND analysis: Milgrom (2007)

Solar System: the Pioneer Anomaly

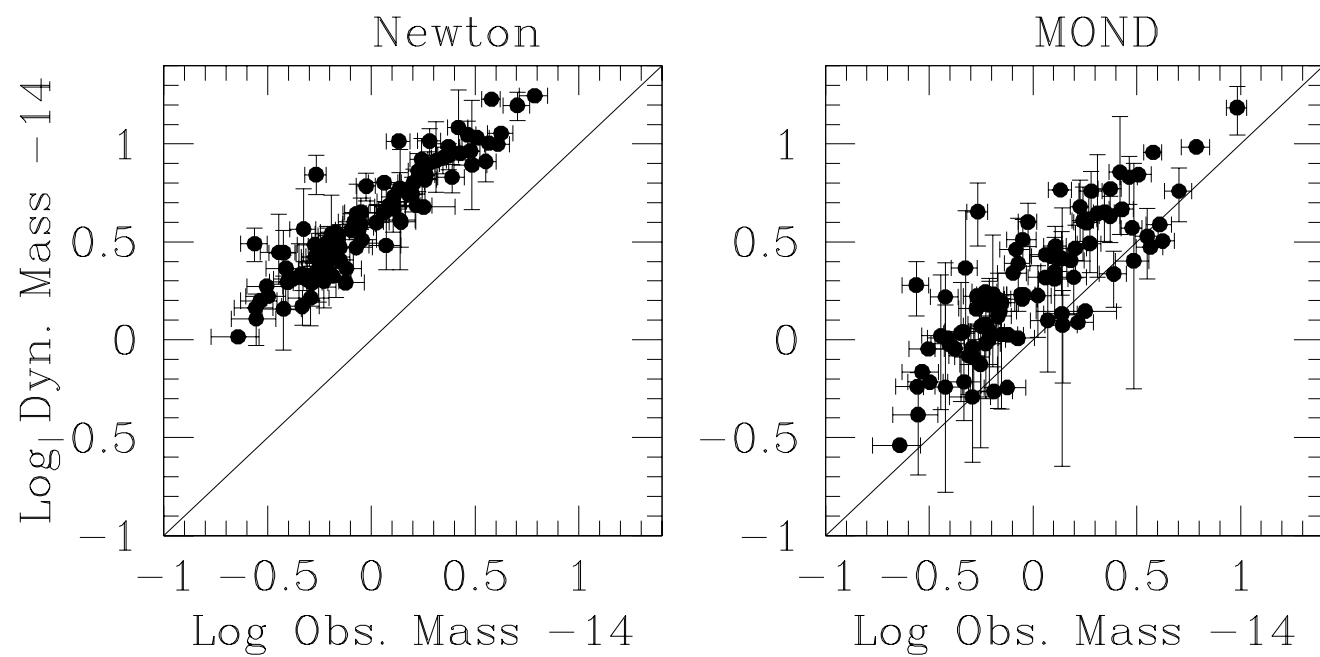


From Anderson et al. 2002

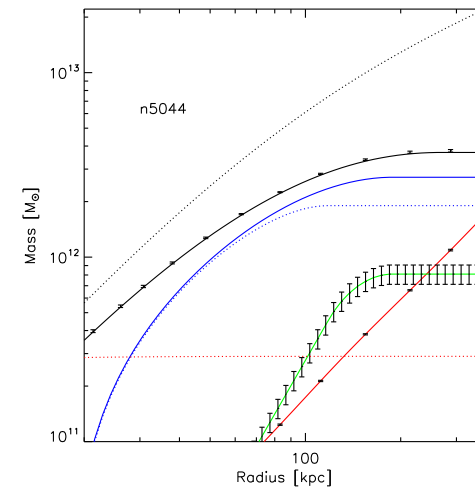
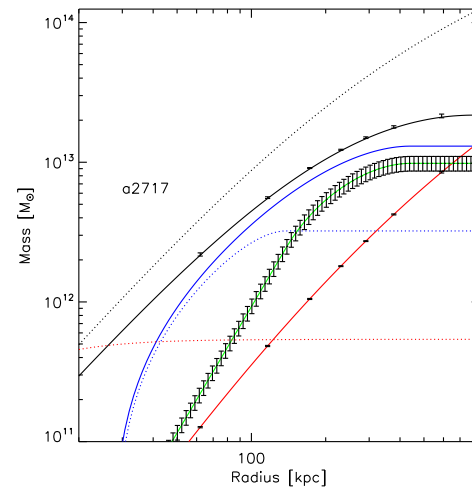
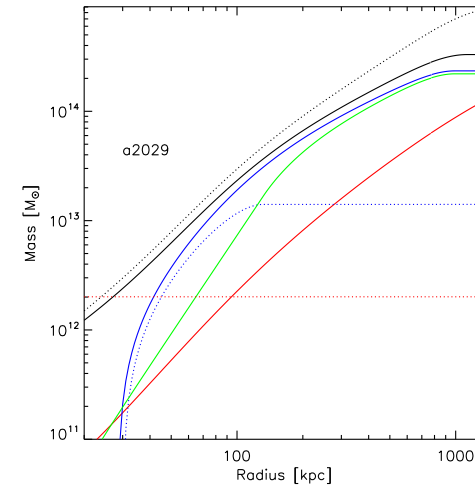
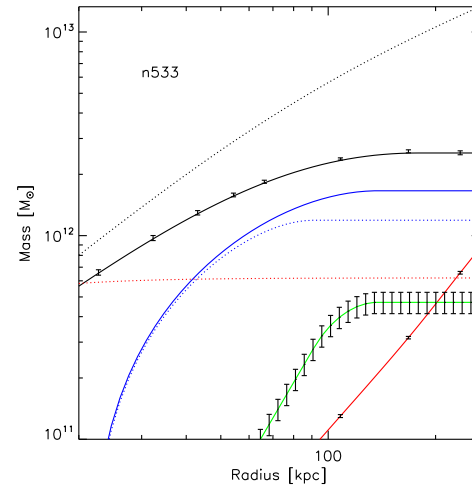
MOND and galaxy clusters

- Early 1990s: MOND does not explain the discrepancy in cluster cores
- Measured acceleration within a few 100 kpc are $> a_0$
- Modify MOND to account for this?
- Most reasonable solution: some yet undetected baryons (Milgrom 2008)
 - ▷ $M(CBDM) \sim M(gas)$
 - ▷ Only a small contribution to nucleosynthesis value
 - ▷ May be helpful in preventing cooling in the cores

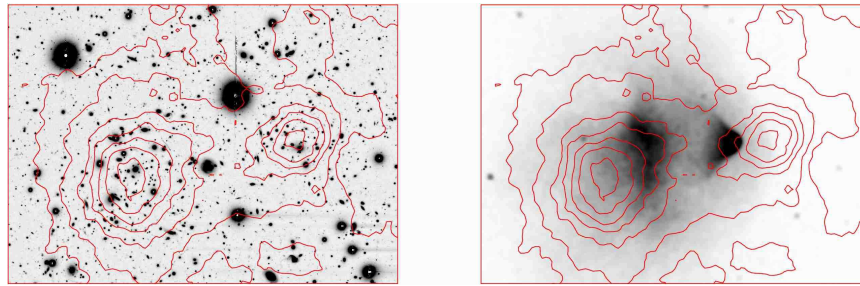
BDM in clusters according to MOND



Sanders 1999



The bullet cluster



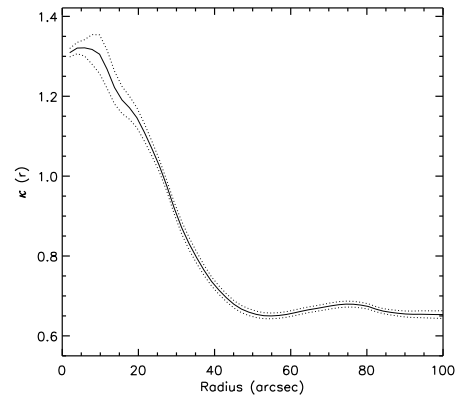
Clowe et al. 2006

Results expected from what we know on isolated clusters (Angus et al. 2006)

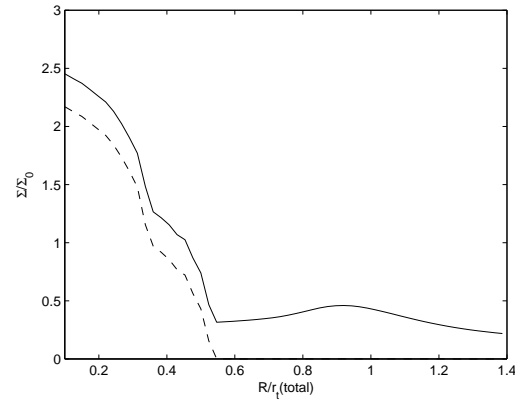
BDM is largely non-dissipational

The high-relative-velocity problem

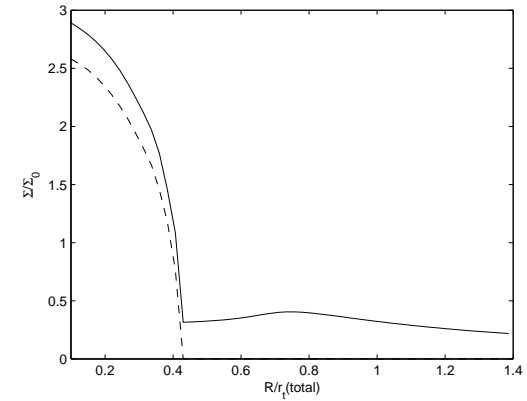
The “ring” cluster (CI 0024+17)



Jee et al. (2007)



Milgrom & Sanders (2008)



MOND defines the transition radius $r_t \equiv (MG/a_0)^{1/2}$ (analog to $r_G = MG/c^2$)